

$$\begin{array}{l} C_1 \equiv A \cap B \\ C_2 \sqsubseteq A \\ C_2 \sqsubseteq B \end{array} \rightsquigarrow \begin{array}{l} C_1 \\ \parallel \\ C_2 \sqsubseteq A \cap B \\ \not\subseteq \epsilon \end{array}$$

Tabelle $\mathcal{J} \models C_1 \sqsubseteq C_2$?

$C_1 \equiv A \sqcap B$
 $C_2 \sqsubseteq A$
 $C_2 \sqsubseteq B$

$\neg C_1 \sqsubseteq C_2$

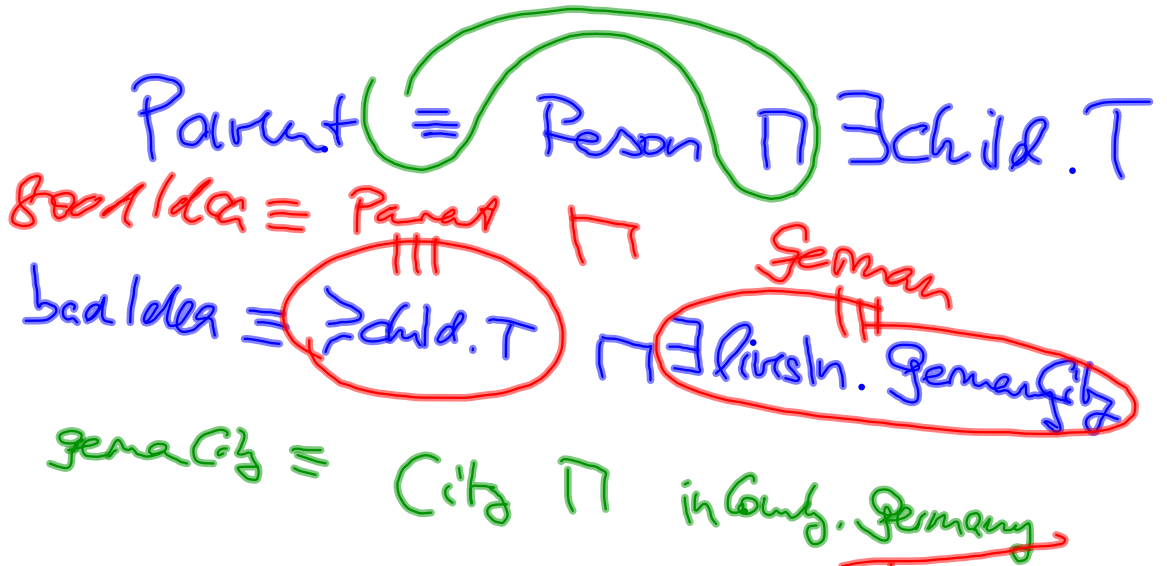
Was bedeutet
QS?
Existenz:

$C_1(x)$
 $\neg C_2(x)$

$A(x)$
 $B(x)$

Was ist
was ist?

$A(x)$
 $B(x)$
 $\neg C_2(x)$ ist ein
Modell



$AndersExample \equiv Person \cap (\exists child.T)$
 $HRCh.100011406 \equiv \exists child.T \cap \exists child.Male$
andwer als
 $\rightarrow \exists 2 \text{ child. Male}$
 $\text{Q} \rightarrow \text{QRR}$
 $\text{A} \text{ has child. T}$

