

Example from Slide 5-14, now in Datalog

$$P = \left\{ \begin{array}{l} wf(Y, D) :- mg(Y, D). \\ emp(X) :- wf(X, D). \\ dept(D) :- wf(X, D). \\ mg(alice, sales). \end{array} \right\}$$

$$T_P(\emptyset) = \{ mg(alice, sales) \}$$

$$T_P^2(\emptyset) = T_P(\dots) = \{ wf(alice, sales), mg(alice, sales) \}$$

$$T_P^3(\emptyset) = \{ wf(alice, sales), emp(alice), dept(sales), mg(alice, sales) \}$$

$$T_P^4(\emptyset) = T_P^3(\emptyset) = T_P^\omega(\emptyset) \rightarrow \text{the minimal model}$$

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$$A :- B_1, \dots, B_n$$

Datalog

$$B_1 \wedge \dots \wedge B_n \rightarrow A$$

FOL

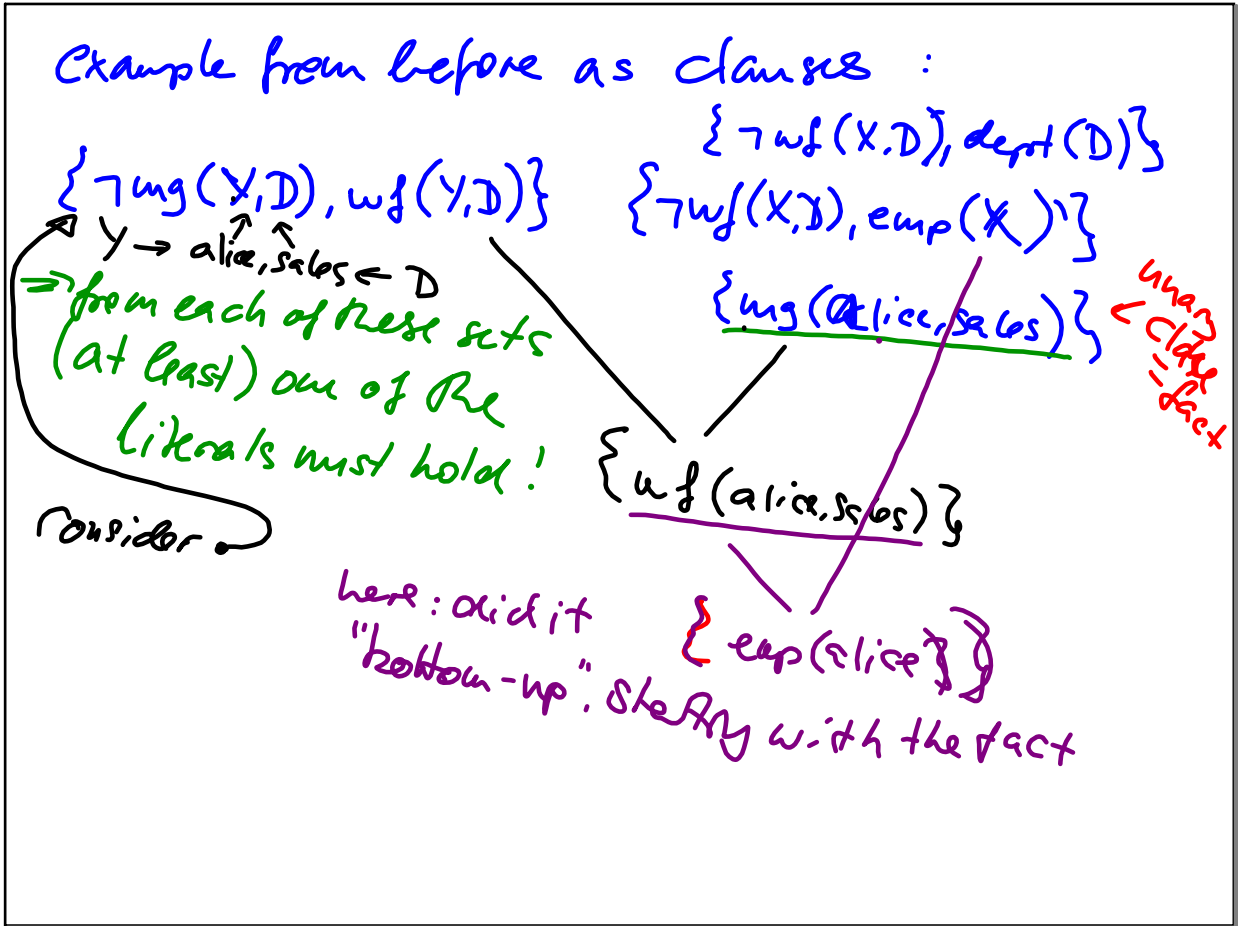
$$\neg(B_1 \wedge \dots \wedge B_n) \vee A$$

FOL

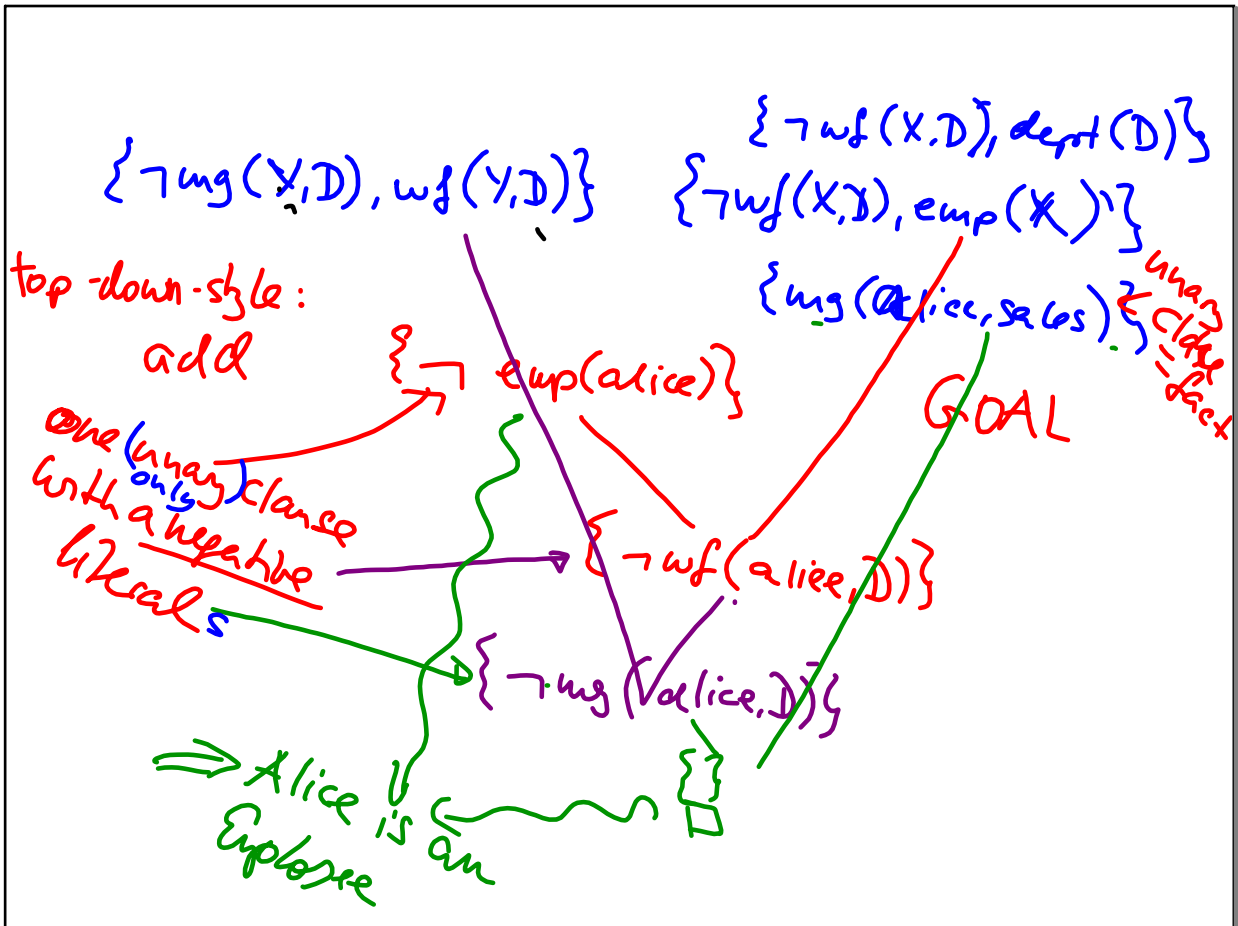
$$\neg B_1 \vee \neg B_2 \vee \dots \vee \neg B_n \vee A$$

$$\{ \neg B_1, \neg B_2, \dots, \neg B_n, A \} \leftarrow \text{one of them must hold}$$

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